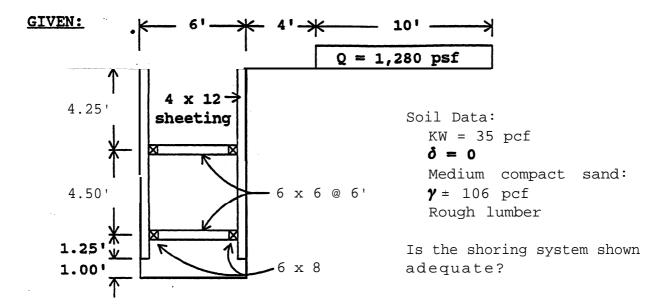
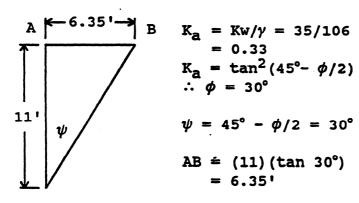
## SAMPLE PROBLEM NO. 23 - STRUTTED TRENCH (Medium Compact Sand)



## **SOLUTION:**



Note: Pressure diagram will be a trapezoid.

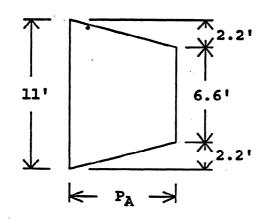
Use the tabular values listed in the section on surcharges or the Boussinesq Strip formula to find the lateral surcharge pressures. The tabular method will be used here.

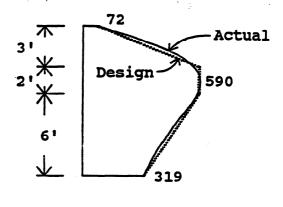
Multiply the values by 1280/300 = 4.27.

Depth	Q value (0 - 14')	- Q value (0 - 4')	x 4.27	= <b>o</b>
1	272.81	208.27		275.6
2	246.16	135.06		474.4
4	196.31	54.51		605.5
6	153.52	24.15'		552.4
8	118.58	12.16		454.4
10	91.21	6.81		360.4
11	80.03	5.27		319.2

## Soil: Restrained System, H > .10

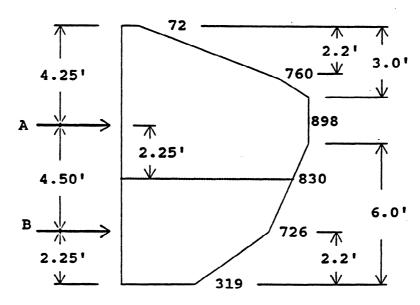
# Surcharge:





 $P_{A} = 0.8 \gamma H K_{a}$ = (0.8) (106) (11) (0.33) Use values shown for design

= 308 psf



Combined Diagram

Note: For clay soils the approach would be the same: the soil pressure diagram would be modified by using the Stability Number Method.

Total force = 
$$(2.2)(72 + 760)/2 + (0.8)(760 + 898)/2 + (2.0)(898) + (3.8)(898 + 726)/2 + (2.2)(726 + 319)/2$$
  
= 915 + 663 + 1,796 + 3,086 + 1,150 = 7,610 Lb/LF

$$A = 915 + 663 + 1,796 + (1.5)(898 + 830)/2 = 4,670 Lb/LF$$
  
 $B = (2.3)(830 + 726)/2 + 1,150 = 2,939 Lb/LF$ 

CHECK SHEETING (upper cantilever)

Find  $M_{max}$ :

AREA	ARM	MOMENT
(72)(2.2) = 158.4 (760 - 72)(2.2)/2 = 756.8 (760)(0.8) = 608.0 (898 - 760)(0.8)/2 = 55.2	2.2/2 + 2.05 = 3.15 2.2/3 + 2.05 = 2.78 0.8/2 + 1.25 = 1.65 0.8/3 + 1.25 = 1.52	499 2,104 1,003 84
(898)(1.25) = 1,122.5	1.25/2 = 0.63	707
2,700.9		4,397

S Req'd = M/f =  $(4,397)(12)/(1,500)(1.33) = 26.4 \text{ in}^3$ S Furnished =  $bh^2/6 = (12)(4)^2/6 = 32.0 \text{ in}^3$ 

Find  $v_{max}$ : 1.5V/A = (1.5)(2,701)/(4)(12) = 84 psi < 140

CHECK SHEETING (middle section)

Assume w equals a constant 898 Lb/LF  $M = wL^2/10 = (898)(4.5)^2/10 = 1,818 < 4,397$ 

V= (4.5/2 - 0.5/2 - 0.33)(898) = 1,500 Lb v = 1.5V/A = (1.5)(1,500)/48 = 46.9 psi < 140

SHEETING O.K.

CHECK WALES (upper wale controls)

 $M = wL^2/10 = (4,670)(6)^2/10 = 16,812 \text{ Ft-Lb}$   $S \text{ Req'd} = M/f = (16,812) (12)/(1,500) (1.33) = 101.1 \text{ in}^3$  $S \text{ Furnished} = bh^2/6 = (6)(8)^2/6 = 64.0 \text{ in}^3$ 

Reduce strut spacing.

Maximum  $L = [(64)(1,500)(1.33)(10)/(4,670)(12)]^{1/2} = 4.77'$ Use L = 4.75'(4'-9")

V = (4.75/2 - 0.5/2 - 0.67)(4,670) = 6,795 LbV = 1.5V/A = (1.5)(6,795)/(6)(8) = 212.3 psi > 140 : n.g.

Try 8 x 8 wale

V = (212.3)(6)/8 = 159.2 > 140 : n.g.

Try 8 x 8 wale with strut spacing of 4'-3"

$$V = (4.25/2 - 0.5/2 - 0.67)(4,670) = 5,627 \text{ Lb}$$
  
 $V = (1.5)(5,627)/64 = 131.9 \text{ psi} < 140$ 

REVISE STRUT SPACING TO 4'- 3"

#### CHECK STRUT

P/A = 
$$(4,670)(4.25)/(6)(6)$$
 = 551.3 psi  
allowable f<sub>c</sub> = 1300 - 20L/d where L/d  $\leq$  50  
= 1300 -  $(20)(4)(12)/6$  = 1,140 psi  
allowable f<sub>c</sub> = 480,000/[L/d]<sup>2</sup> = 480,000/[48/6]<sup>2</sup>  
= 7,500 psi > 1,300 max, use 1,300 psi  
1,140 controls  
 $(1,140)(1.33)$  = 1,516.2 > 551.3

#### CHECK COMPRESSION ON WALE

allowable  $f_p = (350)(1.33) = 465.5 < 551.3 : n.g.$ 

Try 8 x 8 strut, P/A = (4,670)(4.25)/(8)(8) = 310 < 465.5

### SUMMARY

Sheeting is satisfactory for the wale spacing shown. Wales need to be 8  $\times$  8 Rough with 4'- 3" strut spacing. Struts need to be spaced at 4'- 3" sized 8  $\times$  8 Rough (or 6  $\times$  6 Rough with steel plates at ends).

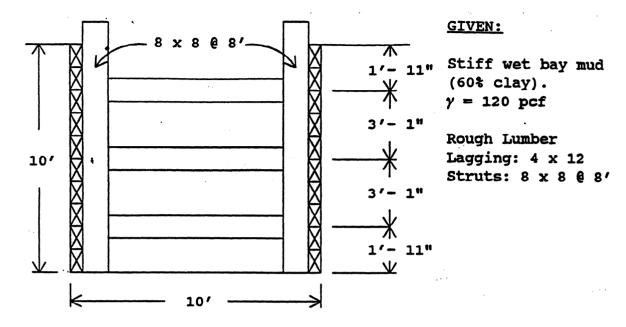
#### Notes :

If the surcharge shown were to represent a building or other critical load, the load duration factor of 1.33 would not have been used and in this case the section modulus of the sheeting would not have been adequate.

The top cantilever of 4'-3" will permit settlement concurrent with the sheeting deflection which would be detrimental to any structure adjacent to the excavation.

A better design would provide for three sets of wales and struts with the wales appropriately spaced to carry similar loadings.

## SAMPLE PROBLEM NO. 24 - STRUTTED TRENCH (Bay Mud)



## SOLUTION:

For soft wet conditions Kw = 120 pcf.

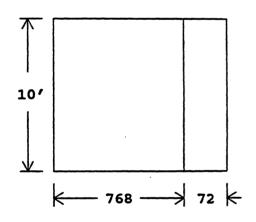
For restrained system and H  $\leq$  10', may use rectangular pressure diagram.

$$P_A = 0.64 \text{KwH} = (0.64)(120)(10)$$
  
= 768 psf.

There was no surcharge given. Use the minimum (72 psf).

$$Total = 768 + 72 = 840 psf$$

CHECK LAGGING



Consider arching effect on lagging: Multiply all loads by 0.6.

$$M = [wL^2/10]0.6 = [(840)(8)^2/10]0.6 = 3,226 \text{ Ft-Lb}$$
  
 $S \text{ Req'd} = M/f = (3,226)(12)/(1,500)(1.33) = 19.4 \text{ in}^3$   
 $S \text{ furnished} = bh^2/6 = (12)(4)^2/6 = 32.0 \text{ in}^3 > 19.4$ 

Y= 
$$[(8/2 - 0.33 - 0.33)(840)](0.6) = 1,683$$
 Lb  
v =  $1.5V/A = (1.5)(1,683)/(4)(12) = 52.6$  psi < 140

CHECK 8 x 8 UPRIGHTS.

Middle Section

 $M = (8)(840)(3.08)^2/10 = 6,375 \text{ Ft-Lb}$ 

V = (3.08/2 - 0.33 - 0.67)(840)(8) = 3,629 Lb

Cantilever section

 $M = (8)(840)(1.92)^2/2 = 12,386 \text{ Ft-Lb}$ 

V = (1.92 - 0.33 - 0.67)(840)(8) = 6,182 Lb

 $S \text{ Req'd} = (12,386)(12) / (1,500)(1.33) = 74.5 \text{ in}^3$ 

S Furnished =  $(8)(8)^2/6 = 85.3 \text{ in}^3 > 74.5$ 

v = (1.5)(6,182)/64 = 144.9 > 140 : n.g.

Increase strut spacing from 3'- 1" to 3' 3"

V = (1.75 - 0.33 - 0.67)(840)(8) = 5,040 Lb

v = (1.5)(5,040)/64 = 118.1 < 140

CHECK STRUTS

P/A = (840)(8)(1.75 + 3.25/2)/(8)(8) = 354.4 psi

Allowable  $f_c = 480,000/(L/d)^2 = 480,000/(96/8)^2$ = 3,333 psi > 1,600 max, use 1,600 psi

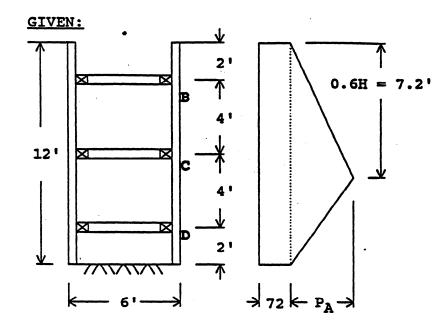
1,600 controls > 354.4 psi o.k.

CHECK COMPRESSION ON UPRIGHT

Allowable  $f_p = (350)(1.33) = 465.5 > 354.4$ 

System will be satisfactory if top and bottom cantilever dimensions are changed from 1' -11" to 1' - 9", and the vertical spacing between strut is accordingly revised from 3'-1" to 3'-3".

# SAMPLE PROBLEM NO. 25 - STRUTTED TRENCH (Medium Clay)



Method by Tschebotarioff

## From Soils Report

 $\gamma$  = 115 pcf  $q_u = 2,000 psf$ 

## <u>Materials</u>

Sheeting: 2 x 12 Wales: 6 x 8 Struts: 6 x 8 @ 6' All rough lumber

$$P_A = 0.4\gamma H$$
  
= (0.4)(115)(12)  
= 552 psf

No surcharge given Use minimum 72 psf

# **SOLUTION:**

## AREAS (Lb/LF)

690 1) 144 6) 681 2) 153 7) -95 8) 144 3) 900 624 4) 614 9) 230 532 5) 1,208 302 225 3 72 72 1 8 A E B C D

Find Maximum Moment (use moment distribution):

Fixed end moments (Ft-Lb/LF)

1) 
$$(72)$$
  $(2)$   $[2/2]$  = 144  
2)  $\{(153)(2)/2\}[2/3]$  = 102  
BA = 246

3) 
$$(225)(4)^{2}/12$$
 = 300 = 300  
4)  $(327)(4)^{2}/30$  =  $174$   
 $(327)(4)^{2}/20$  = 262  
BC = 474 CB = 562

5) 
$$(302)(4)^{2}/12$$
 = 403 = 403  
6)  $(388)(4)^{2}/20$  = 310  
 $(388)(4)^{2}/30$  = 207  
7)  $[(-158)(4)^{2}(0.3)^{2}/60][10 - (10)(0.3) + (3)(0.3)^{2}] = -28$   
 $[(-158)(4)^{2}(0.3)^{2}/60][5 - (3)(0.3)]$  =  $-16$ 

$$[(-158)(4)(0.3)/60][5-(3)(0.3)] = \frac{-10}{2}$$

$$CD = 685$$

$$DC = 594$$

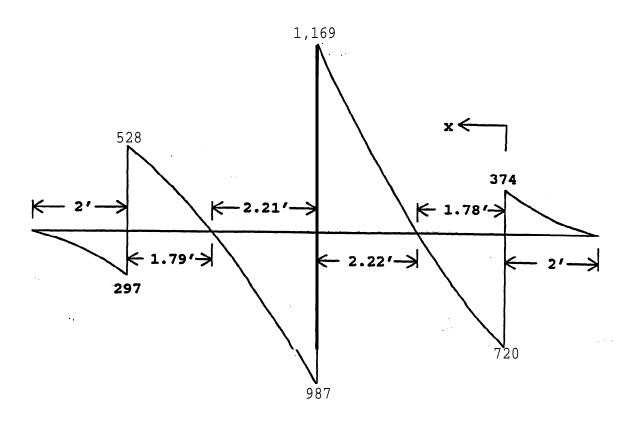
8) 
$$(72)$$
  $(2)$   $[2/2]$  = 144  
9)  $\{(230)$   $(2)$   $[2/3]$  = 153  
DE = 297

•	В			C		D
	0	1.0	0.5	0.5	1.0	0
	-246	+474	<b>-</b> 562	+685	-594	+297
		-228	-61.5	<u>-61.5</u>	+297	
		-30.7	-114	+148.5	-30.7	
•		+30.7	-17.3	-17.3	+30.7	
	246	+246	<del>-</del> 755	+755	-297	+297
MV		-127.2	+127.2	+114.5	-114.5	
	+144	+450	+450	+604	+604	+144
	+153	+204.7	+409.3	+517.3	+258.7	+230
				-66.4	-28.4	<u></u>
	82	25	2,	156	1,0	094

CHECK SHEETING:

By inspection, the maximum moment will either be at C or between c and D.

$$M_C = -755 \text{ Ft-Lb/LF}$$



Find point of zero shear between C and D.

$$720 - 302X - (624 - 302)(x/2.8)(x)/2 = 0$$
  
 $57.5x^{2} + 302X_{1} - 720 = 0$   
 $X - 1.78$ 

$$M = -(302) (1.78)[1.78/2] - \{(322)(1.78/2.8)(1.78)/2\}[1.78/3] + 1,094[1.78] - 144[1.78 + 2/2] - 230[1.78 + 2/3]$$

$$= 398 Ft-Lb/LF$$

 $M_C$  controls (M = -755 Ft-Lb)

$$S \text{ req'd} = M/f = (755)(12)/(1,500)(1.33) = 4.54 \text{ in}^3$$

S furnished = 
$$(12)(2)^2/6 = 8.0 \text{ in}^3$$

$$v = 1.5V/A = (1.5)(1,169)/(2)(12) = 73.1 < 140 psi$$

CHECK WALES (center controls):

$$M = (2,156)(6)^2/10 = 7,762 \text{ Ft-Lb}$$

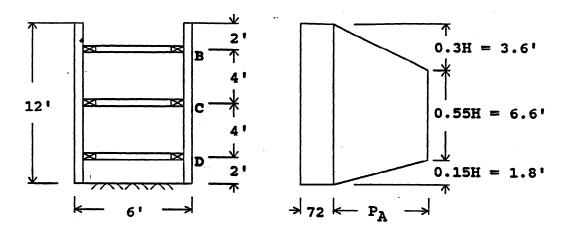
S req'd = 
$$(7,762)(12)/(1,500)(1.33) = 46.7 \text{ in}^3$$
  
S furnished =  $(6)(8)^2/6 = 64 \text{ in}^3$   
V =  $(6/2 - 0.33 - 0.33)(2,156) = 5,045 \text{ Lb}$   
v =  $(1.5)(5,045)/(6)(8) = 157.7 \text{ psi} > 140$   
Use 8 x 8's v =  $(157.7)(48/64) = 118 < 140$   
CHECK STRUTS (center controls):  
P/A =  $(2,156)(6)/(6)(8) = 270 \text{ psi}$   
allowable  $f_c = 480,000/[L/d]^2 = 480,000/[(4.33)(12)/6]^2$   
=  $6,400 \text{ psi} > 1,600 \text{ max}, \text{ use } 1,600 \text{ psi}$   
 $1,600 \text{ controls} > 270 \text{ psi} \text{ o.k}.$ 

### SUMMARY

Sheeting is satisfactory for the wale spacing shown. Wales need to be 8  $\times$  8. Struts okay as shown

A better approach would be to use the more conventional trapezoidal earth pressure diagram as it is easier to work with. This is demonstrated on the following page.

## SAMPLE PROBLEM NO. 25 - STRUTTED TRENCH: ALTERNATE ANALYSIS



$$P_A = \gamma H_{-} 2q_{11} = (115)(12) - (2)(2,000) \le 0$$

Use Stability Number Method:

 $N_0 = \gamma H/\epsilon (115)(12)/600 = 2.3$ 

 $P_A = (C/150)(7N_0^2 + 10N_0) = 240 \text{ psf}$ 

 $P_a$  = Minimum Surcharge = 240 + 72 = 312

Top strut =  $(240)\{(4 + 0.4)/2\}(6) + (72)(4)(6) = 4,896$  Lb Center strut load = (312)(4)(6) = 7,488 Lb Bottom strut =  $(240)\{(4 + 2.2)/2\}(6) + (72)(4)(6) = 6,192$  Lb (All of which are less than the Tschebotarioff analysis)

Determine maximum moment of sheeting.

$$M_C = -(240)(4.2) [4.2/2] - \{(240)(1.8)/2\}[4.2 + 1.8/3] - (72)(6)[6/2] + (6,192/6)[4] = -322$$

 $M_{CD}$  moment at midpoint between C and D =  $-(240)(2.2)[2.2/2] - \{(240)(1.8)/2\}[2.2 + 1.8/3] - (72)(4)[4/2] + (6,192/6)[2] = 302$ 

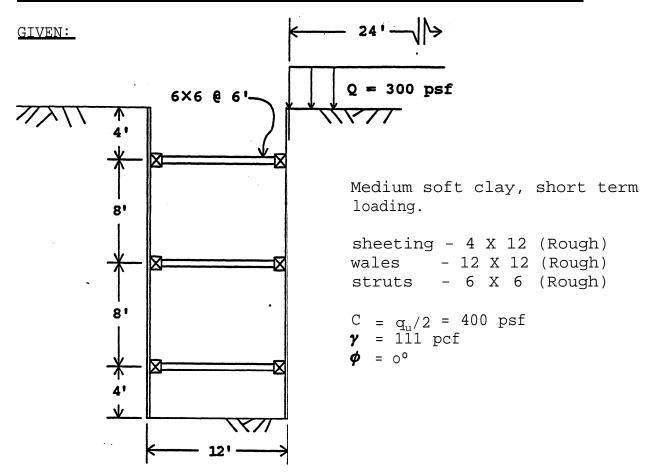
$$M_{DE} = -(240)(0.2)(0.1) - \{(240)(1.8)/2\}[0.2 + 1.8/3] - (72)(2)[2/2] = -322$$

Use M = -322 Ft-Lb/LF < -755 (from previous analysis). .. o.k.

By inspection, all other members check.

Center of soil pressure is smaller by this conventional method, but the top and bottom struts are more appropriately loaded.

## SAMPLE PROBLEM NO. 26 - STRUTTED TRENCH: (Medium Soft Clay)



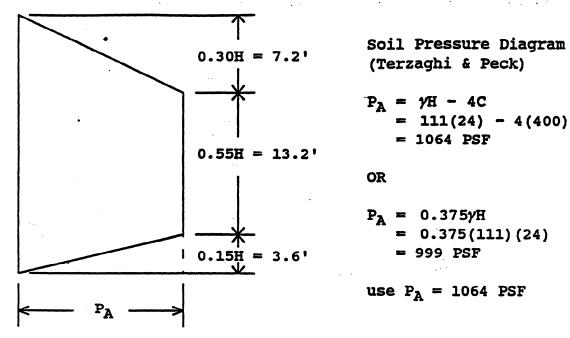
## SOLUTION:,

Boussinesq strip surcharge values:

		300
<u>Depth</u>	Lateral Pressure	
2	268	
4	237	
8	181	
12	135	$\vdash$
16	100	
20	73	
24	72 (minimum)	72

300

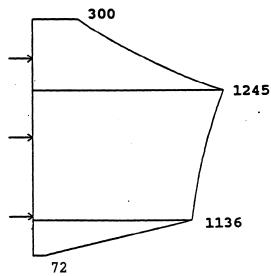
# Soil Pressure Diagram



Kw may be computed once the shape of the pressure diagram is established.

> Normalizing = 0.8/(0.775)(0.8) = 0.8258  $P_A = 0.8258KwH = 1064$ Kw = 53.7 PCF

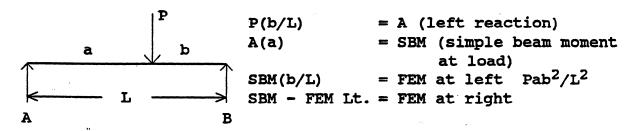
Adding soil and surcharge pressures:



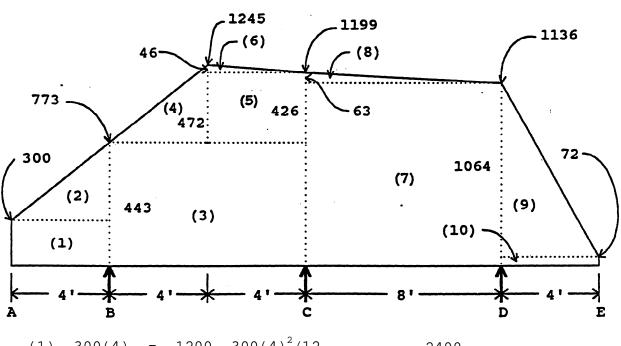
With the loading diagram complete, the strut reactions can be determined using moment shears calculated from the fixed end moments of each span.

First determine the fixed endmoments and use moment distribution to balance the loads.

For simple moment distribution, small triangles may be converted to concentrated loads placed at the triangle centroids.



Compute the simple beam fixed end moments.



(1) 
$$300(4) = 1200 \quad 300(4)^{2}/12 = 2400$$
  
(2)  $473(4)/2 = 946 \quad 946(4)/3 = 1261$   
FEM BA = 3661

(3) 773 (8) = 
$$6184$$
 733(8)<sup>2</sup>/12 = 4123 4123  
(4) 472(4)/2 = 944 944(4 + (4/3))/8 = 629  
629 (2/3) (4) = 1678 SBM  
 $1678(4 + (4/3))/8 = 1119$  559

(5) 
$$426(4) = 1704$$
  $1704(4/2)/8 = 426$   
 $426(4 + (4/2)) = 556$   
 $2556(4)/(2)(8) = 639$  1917  
(6)  $46(d)^{\circ} = 92$   $92(2/3)(4)/8 = 31$   
 $31(4 + (4/3)) = 165 \text{ SBM}$   
 $165(2/3)(4)/8 = 55$   
 $FEM BC = 5936 FEM CB = 6709$   
(7)  $1136(8) = 9088$   $1136(8)^2/12 = 6059$  6059  
(8)  $63(8)/2 = 252$   $252(2/3)(8)/8 = 168$   
 $168(8)/3 = 448 \text{ SBM}$   
 $448(2/3)(8)/8 = 299$   
 $FEM CD = 6358 FEM DC = 6208$   
(9)  $1064(4)/2 = 2128$   $2128(4/3) = 2837$   
 $(10) 72(4) = 228$   $72(4)^2/2 = 576$   
 $FEM DE = 3413$   
Sum of Loads = 22,826 LB/LF

Moment Distribution:

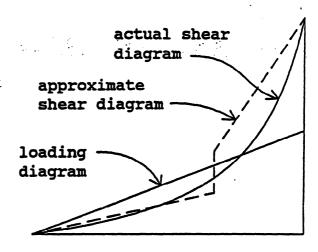
0	1	0.5	0.5	1	0
-3661	+5936	-6706	+6358	-6208	+3413
	-2275	+ 176	+ 176	+2795	
	+ 88	-1138	+1398	+ 88	
	_ 88	- 130	- 130	- 88	
	- 65	- 44	- 44	- 65	
	+ 65	+ 44	+ 44	+ 65	
-3661	+3661	-7802	+7802	-3413	+3413

Calculate the strut reactions. This is done by summing the moment shears and the simple beam shears. Moment shears are the difference between the simple beam FEMs divided by the span length. This distributes the load to account for the actual condition of a continuous beam.

Moment She	ars	- 518:	+ 518	+ 549	- 549	
Simple Beam Shears	1200 946	3092 629 426 31	3092 315 1278 61	4544 168	4544 84	2128 228
Reactions	58	06	105	525	64	95

Sum of Reactions = 22,826 = Sum of Loads. CHECK

Determine the shear diagram. The portion contributed by the triangular load can be approximated by breaking it into two straight line slopes at a third point.



## Approximate Shears

300(2/3) (4)	=- 800	
(2)	=- 946	
	=- 1746	
300(4)/3	= - 400	C
	= - 2146	
В	<u> + 5806</u>	
	= + 3360	
. 773 (2/3) (4)	<u>=- 2061</u>	(8)
	= + 1599	
(4)	<u> </u>	
	=+ 655	
773 (1/3) (4)	<u> </u>	D
(=, =, (=,	=- 376	
1199(1/3)(4)	<u> </u>	(9)
	=- 1975	
(6)	<u> </u>	(10
	= - 2067	

$$= - 2067$$

$$1199(2/3)(4) = - 3197$$

$$= - 5264$$

$$= + 10525$$

$$= + 5261$$

$$1136(1/3)(4) = - 3029$$

$$= + 2232$$

$$= - 252$$

$$= + 1980$$

$$1136(2/3)(8) = - 6059$$

$$= - 4079$$

$$= + 6495$$

$$= + 2416$$

$$= - 2128$$

$$= + 288$$

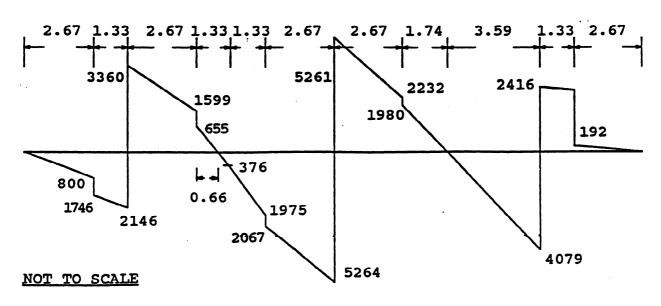
$$= - 288$$

$$= - 288$$

$$= - 288$$

$$= - 288$$

$$= - 288$$



From the values in the shear diagram calculate the values for 1 - the approximate moment diagram.

Approximate Moment Calculations:

Check the shoring system members.

Sheeting 4 X 12 (Rough)

$$S = bh^2/6 = 12(4)^2/6 = 32 in^3$$
  
 $S required = M/F = 7894(12)/(1500)(1.33) = 47 in^3$ 

Try 6 X 12 (Rough)

$$S = 12(6)^2/6 = 72 in^3$$
 OK

Note that the 0.6 lagging arching factor is not used with sheeting or with soft clay.

Wales 12 X 12 (Rough)

$$S = 12(12)^2/6 = 288 \text{ in}^3$$

Center controls, use  $M = w1^2/10$ 

S required = 
$$10525(6)^2(12)/(10)(1.33)(1500) = 228 \text{ in}^3$$

Length for shear = 6/2 - 0.5 - 1 = 1.5 Ft.

$$v = 3(1.5)(10525)/2(12)(12) = 164 psi > 110(1.33) = 146 psi$$

Try a 12 X 16 (Rough)

$$v = 128 psi < 146 psi OK$$

Strut 6 X 6 (Rough)

Center controls.

Strut length = 
$$12 - 2(1.33 + 0.33) = 8.68$$
 Ft.

$$P/A = 10525(6)/(6)(6) = 1754 psi$$

Allowable:

$$480000/(8.68(12)/6)2 = 1592 \text{ psi} < 1600 \text{ psi} \text{ Maximum}$$

Try a 8 X 8 (Rough)

$$P/A = 10525(6)/(8)(8) = 987 \text{ psi} < 1592 \text{ psi o.k.}$$

Bearing value on wale = 987 > 350 psi Allowable. Provide steel plates at ends of struts.

## SUMMARY

All materials are too small for 6'-0" spacing of struts.

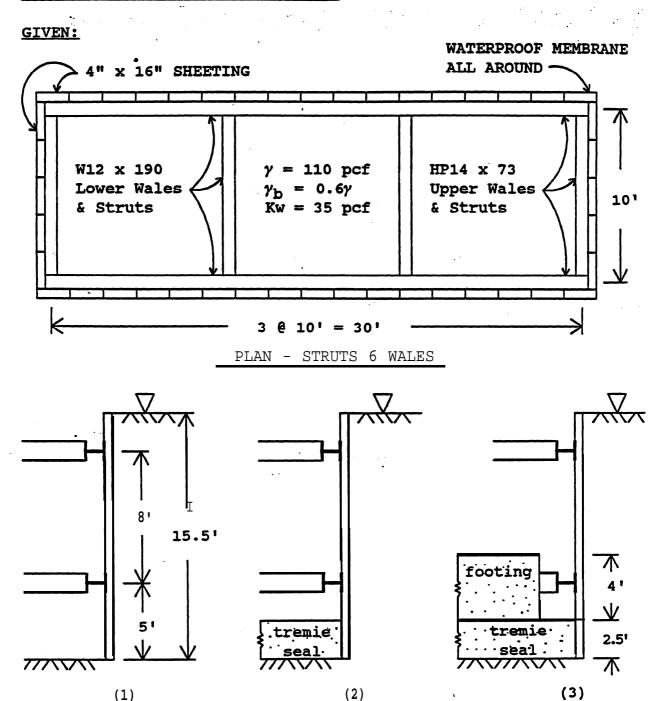
Steel bearing plates will be needed at ends of the struts to provide adequate bearing area to prevent overstess in compression perpendicular to the grain of the wales.

Wale and strut requirements could be reduced by decreasing the spacing of the struts.

#### APPROXIMATE METHOD

In lieu of doing moment distribution, assume average load on center strut = 1200 PSF X 8 foot strut spacing X l.1 for moment and shear continuity = 1200(8)(1.1) = 10560 (versus 10,525). Check member adequacies.

## SAMPLE PROBLEM No. 27 - COFFERDAM



# SEQUENCE:

(1) Excavate and construct cofferdam, set cofferdam and backfill.

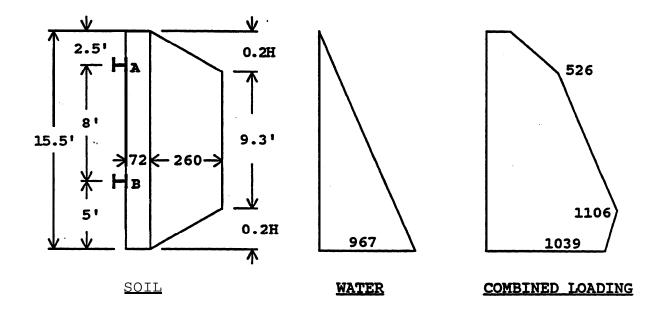
ELEVATION

- (2) Tremie, cure, dewater, and remove lower interior struts.
- (3) Construct footing, cure, strut to footing, and remove top interior struts.

#### CASE (1):

Pressure Diagrams

$$P_A = (0.8)(Kw)(0.6)(15.5) = 260 psf$$
  
Minimum surchargeload = 72.0 psf  
Water = (62.4) (15.5) = 967 psf



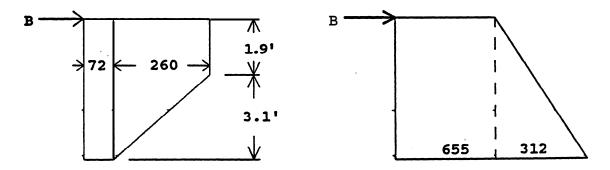
Check tremie vs. combined pressure (without surcharge load)

$$(2.5)(155) = 388 < 1,039 - 72 = 967 : o.k.$$

Can the cofferdam be dewatered to permit construction of a footing lowered to the elevation of eliminated tremie seal? All struts to remain in place.

## SHEETING

Five foot cantilever will be the most critically loaded location.



$$\Sigma M_B$$
 = (655) (5) [5/2] + (312) (5)[(5) (2/3)]/2 + (72) (5) [5/2] + (260) (1.9)[1.9/2] + (260) (3.1)[1.9 + (1/3) (3.1)]/2 = 13,339 Ft-Lb/LF

For 16" wide timber  $M_B = (1.33)$  (13,339) Ft-Lb/Timber Section Modulus Required = M/f (Use Load Duration Factor = 1.33)  $S = (1.33)(13,339)(12)/(1,500)(1.33) = 106.7 \text{ in}^3$  S Furnished =  $(16)(4)^2/6 = 42.67 \text{ in}^3$ 

## SHEETING WILL BE OVERSTRESSED IF COFFERDAM IS DEWATERED!

If sheeting had been sufficent at this point, the struts and walers would have been checked next.

If not dewatered:

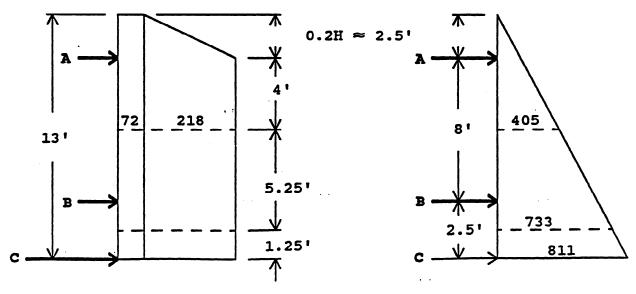
$$\Sigma M_B = (72)(5)[5/2] + (260)(1.9)[1.9/2] + (260)(3.1)[1.9 + (1/3)(3.1)]/2 = 2,551 \text{ Ft-Lb/LF}$$
  
S required =  $(2,551/13,339)(106.7) = 20.4 < 42.67 \text{ in}^3$ 

CASE (2):

Place tremie concrete, dewater, and remove lower struts.

Pressure Diagrams (above tremie concrete)
$$P_{A} = (0.8)(3.5)(0.6)(13) = 218 \text{ psf}$$

$$Water = (62.4)(13) = 811 \text{ psf}$$



Determine reactions by approximate method of area division, then to approximate moment distribution arbitrarily increase B by 10% and prorate reaction difference to A and C.

#### REACTIONS

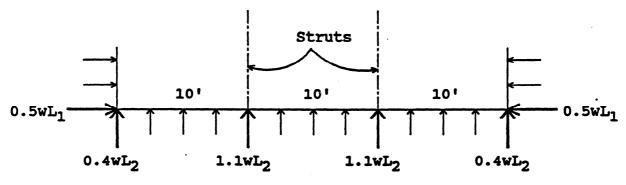
A = 
$$(218 + 72)(6.5) - (218)(2.5)/2 + (6.5)(406)/2$$
  
=  $2,932$  Lb/LF  
B =  $(218 + 72)(5.25) + (405 + 733)(5.25)/2$   
=  $4,510$  Lb/LF  
C =  $(218 + 72)(2.5)/2 + (733 + 811)(1.25)/2$   
=  $1,327$  Lb/LF

Total Load = 
$$(218 + 72)(13) - (218)(2.5)/2 + (811)(13)/2$$
  
= 8,769 Lb/LF

Increase B by 10%: (4,510)(1.10) = 4,961 Lb/LF Difference from previous value = 4,961 - 4,510 = 451 Prorate difference to A and C. 2,932/(2,932 + 1,327) = 0.69%

$$A = 2,932 - (0.69)(451) = 2,621 Lb/LF$$
  
 $C = 1,327 - (0.31)(451) = 1,187 Lb/LF$ 

## LOADING CONFIGURATION



### LOWER STRUT

Properties of a W12 x 190: I = 1,890 in<sup>4</sup>, S = 263 in<sup>4</sup>, A = 55.9 in<sup>2</sup>, 
$$r_x$$
 = 5.82 in,  $r_y$  = 3.25 in

End load = 
$$(1.1)(4,961)(10) = 54,571$$
 Lb  
P/A =  $54,571/55.9 = 976$  psi  
 $f_{all} = 16,000 - 0.38(L/r)^2 = 16,000 - 0.38[(10)(12)/3.25]^2$   
=  $15,482$  psi

## LOWER WALE

use 
$$(P/A)/f_{all} + (M/S)/FB \le 1.0$$
  
 $f_{all} = 16,000 - 0.38[(10)[12)/5.82]^2 = 15,838 psi$ 

Check short side:

End load = (0.4) (4,961)(10) = 19,844 Lb M =  $(4961)(10)^2/8$  = 62,013 Ft-Lb = 744,156 in-Lb (19,844/55.9)/15,838 + (744,156/263)/22,000 = 0.15 < 1.0  $\cdot \cdot \cdot$  o.k.

Check long side:

End load = (0.5) (4,961)(10) = 24,805 Lb M =  $(4,961)(10)^2/10$  = 49,610 Ft-Lb = 595,320 in-Lb (24,805/55.9)/15,838 + (595,320/263)/22,000 = 0.13 < 1.0 ... o.k.

UPPER STRUT

Properties of a HP14 x 73: I = 734 in<sup>4</sup>, S = 108 in<sup>3</sup>, A = 21.5 in<sup>2</sup>,  $r_x$  = 5.85 in $r_y$ = 3.49 in

End load = (1.1)(10)(2,621) = 28,831 Lb P/A = 28,831/21.5 = 1,341 psi  $f_{all}$  = 16,000 - 0.38[(10)(12)/3.49]<sup>2</sup> = 15,551 psi

UPPER WALE

 $f_{all} = 16,000 - 0.381[(10)(12)/5.85]^2 = 15,840 psi$ 

By inspection short side will be most critical:

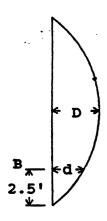
End load = 0.4wL = (0.4)(2,621)(10) = 10,484 Lb M =  $(2,621)(10)^2/8$  = 32,763 Ft-Lb = 393,156 in-Lb (10,484/21.5)/15,840 + (393,156/108)/22,000 = 0.20 < 1.0  $\therefore$  o.k.

NOTE: Overstresses in steel members should not be allowed because:

- Adequate soil data was not furnished.
- Contractor may not be an expert in cofferdam construction (normally the case).
- It is unlikely that the steel stresses will be frequently checked by means of strain gages.

#### REMOVE LOWER STRUTS

Moment will be based on proportion of load carried by wale. Limit deflection of sheeting to L/240 and assume simple span of 10.5 feet.



center 
$$\Delta$$
 = L/240 = (10.5)(12)/240 = 0.5 in d = (1-x/L) (4) (D) (x)/L) = (1-2.5/10.5)(4)(0.5)(2.5)/10.5 = 0.36"

Load to be carried by 30' wale assuming simple span for  $\Delta$  = 0.36"

$$\Delta = 0.36 = (5)(w)(30)^{4}(1,728)/[(384)(30x10^{6}) (1,890)]$$

$$\therefore w = 1,120 \text{ Lb/LF}$$

$$M = (1,120)(30)^2/8 = 126,000 \text{ Ft-Lb} = 1,512,000 \text{ in-Lb}$$
  
 $(24,805/55.9)/15,838 + (1.5x10^6/263)/22,000 = 0.29 < 1.0 : o.k.$ 

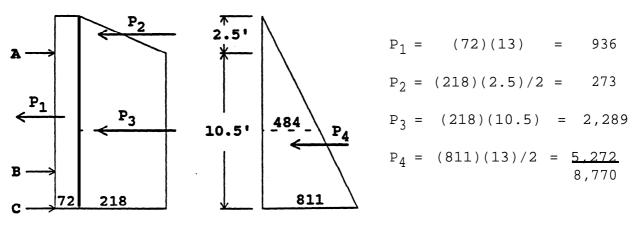
#### SHEETING

Disregard any reaction at B temporarily and solve for A and C reactions (with sheeting assumed fixed at C) by approximate method of area division.

Make reaction at B = 1,120 Lb/LF and decrease A and C proportionally.

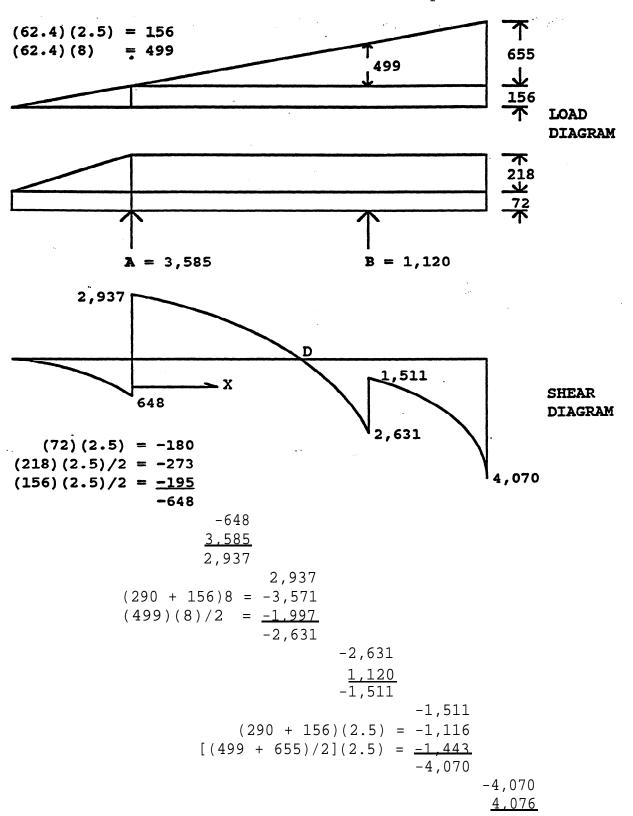
$$A = 3,851 - (2.5/10.5)1,120 = 3,584 Lb/LF$$
  
 $C = 4,922 - (8/10.5)1,120 = 4,069 Lb/LF$ 

Maximum moment will either be at C or somewhere between A and B.



$$\Sigma M_C = P_1(13/2) + P_2(10.5 + 2.5/3) + P_3(10.5/2) + P_4(13/3) - A(10.5) - B(2.5) = 3,609 \text{ Ft-Lb/LF}$$

To find maximum moment between A and B find point of zero shear.



2937 - 
$$(290 + 156)X$$
 -  $(62.4) (X)^2/2 = 0$   
 $\therefore X = 4.9'$ 

$$\Sigma M_D = (72)(7.4)[7.4/2] + (218)(2.5)[4.9 + 2.5/33/2 + (218)(4.9)[4.9/2] + (62.4)(7.4)^2[7.4/3]/2 - (3,584)[4.9] = -7,197 Ft-Lb/LF > 3,609 ... Controls$$

S required = 
$$(16/12)(7,197)(12)/(1500)(1.33) = 57.6 > 42.67 in^3$$

LOWER STRUTS SHOULD NOT BE REMOVED !!

If the lower struts could have been removed, the wale load at the short ends would have increased from 0.4wL to 1.5wL and the struts would be rechecked for structural adequacy.

CASE (3):

Can the top struts be removed if the lower struts remain in place?

Pressure diagrams will be the same as for CASE(2). Initial reactions are A = 2,621, B = 4,961, and C = 1,187 Lb/LF. Without the top struts, the upper wales and sheeting will deflect inward increasing the reaction at B and decreasing the reaction at C.

Deflection of the sheeting and upper wale at A must be the same. Determine the load that can be carried by the upper wale. Limiting load to be determined by the combination axial and bending stress, or by the load which limits deflection to L/240. Determine deflection for limiting load. Determine the maximum load the sheeting will take to have the same deflection as the wale at the location of the A reaction. If the sum of the wale and sheeting limiting loads are less than the reaction of A  $(2,621\ Lb/LF)$ , the wale or the sheeting will be overloaded and/or overstressed. Assume the sheeting to be a cantilever fixed at B.

UPPER WALE

Determine allowable load for 30' span

End load = 
$$0.5\text{wL} = (0.5)(2,621)(10) = 13,105 \text{ Lb}$$
  
 $M = \text{w(30)}^2/8 = 112.5\text{w Ft-Lb} = 1350\text{w in-Lb}$   
 $f_{\text{all}} = 15,840 \text{ psi}$ 

(13,105/21.5)/15,840 + (1350w/108)/22,000 = 1.0  $\therefore$  limiting wale load w = 1,692 Lb/LF

Determine maximum deflection.

Limiting load deflection  $A = 5wL^4/384EI$ =  $(5)(1,692)(30)^4(12)^3/(384)(30x10^6)(734) = 1.4$ "

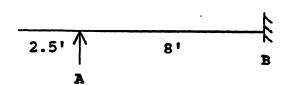
 $\Delta \leq (240 = (30)(12)/240 = 1.5$ "

∴Limiting load on wale is governed by stresses rather than deflection.

### SHEETING

Limit sheeting at reaction A to wale deflection of 1.4"

 $\Delta$  at A =  $[(w)(b)^3(12)^3/3EI)$  where b = 8'



$$I = (16)(4)^3/12 = 83.33 in^4$$
  
= 64 in<sup>4</sup>/LF

1.4 = 
$$[(w)(8)^3(12)^3/(3)(1.6x10^6)(64)$$
  
 $\therefore$ w = 486 Lb/LF

$$1,692 + 486 = 2,178 < 2,623$$

WALE WILL BE OVERLOADED - DO NOT REMOVE TOP STRUTS !!

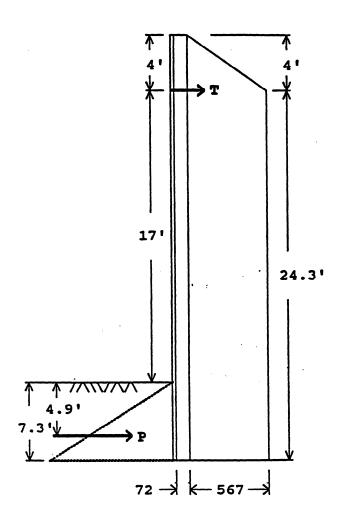
Not checked:

Wale web crippling Welding Sheeting to wale connections Buoyancy

## SAMPLE PROBLEM NO. 28 - DEFLECTION

Horizontal movement, or deflection, of shoring systems can only be roughly approximated because soils do not apply pressures as a true equivalent fluid, even in the totally active state. A deflection calculation can be made by structural mechanics procedures (moment area - M/EI) and then some soundengineering judgment should be used. In general, cohesionless soils will give about 1/2 the calculated values, & cohesive even less. The time that the shoring is in place will also affect movement. Monitoring, or performance testing, is the final answer.

Following is an example of a deflection calculation for a sheet pile with a single tieback. It is assumed that the lock-off load of the tie is sufficient to preclude any movement at the tie support. The moment-area method will be used to calculate deflections.



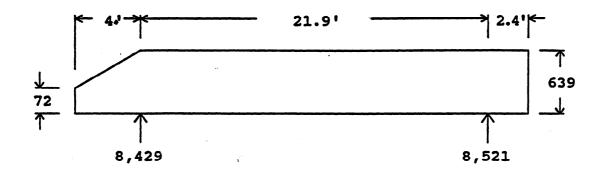
P = the total passive reaction = 8,521 Lb/LF

T = 8,429 Lb/LF

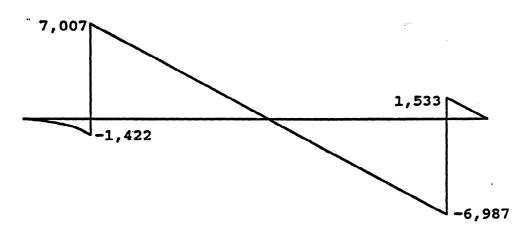
 $E = 30 \times 10^6 \text{ psi}$ 

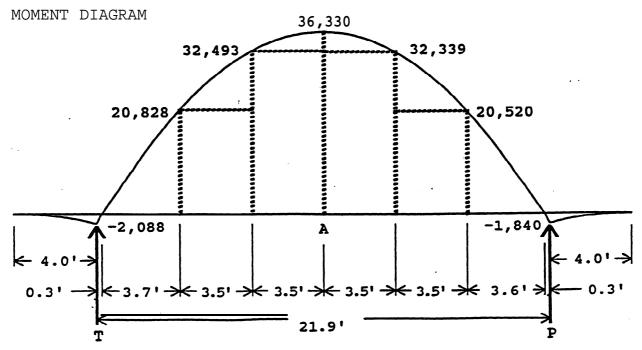
 $I = 109 in^4$ 

## LOAD DIAGRAM



## SHEAR DIAGRAM



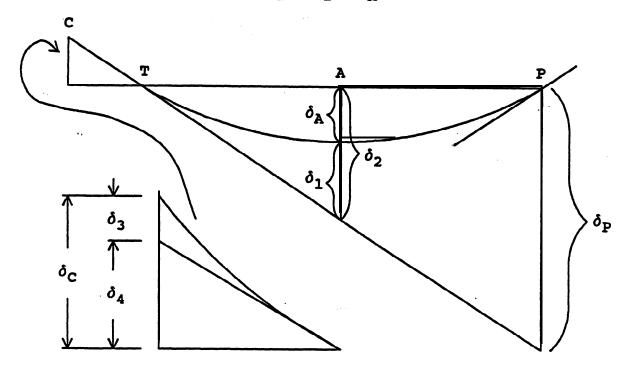


Determine the deflection  $oldsymbol{\delta_{P}}$ 

$$\delta_2 = (\delta_{\mathbf{p}})11.0/21.9)$$

Determine the deflection of the tangent to the elastic curve at the centerline from the tangent at T  $(\delta_1)$ .

The true deflection at A =  $\delta_2$  -  $\delta_1$  =  $\delta_A$ 



$$\begin{split} \delta_{\mathrm{P}} &= & ((-2,088)(0.3/3)[21.6 + (3/4)(0.3)] \\ &+ & (36,330)(10.7)(2/3)[10.9 + (3/8)(10.7)] \\ &+ & (36,330)(10.6)(2/3)[0.3 + (5/8)(10.6)] \\ &- & (1,840)(0.3/3)[0.3/4])(1,728)/(30 \times 10^6)(109) \\ &= & 2.98 \text{ in} \end{split}$$

$$\delta_2 = (2.98)(11.0/21.9)$$
  
= 1.50 in

$$\delta_1 = (-2,088)(0.3/3)[10.7 + (3/4)(0.3)] + (36,330)(10.7)(2/3)[(3/8)(10.7)](1,728)/(30 \times 10^6)(109) = 0.55 in$$

$$\delta_{A} = 1.50 - 0.55$$
  
= 0.95 in

The deflection at the cantilever section will be the sum of the difference between the tangents to the elastic curves at point T and  $C: (\delta_3)$  and  $\delta_4$ .

$$\delta_3 = ((-2,088)(4.0)/4)[(4,5)(4)](1,728)/(30 \times 10^6)(109)$$
  
= -0.004 in

By similar triangles,  $\delta_4$  = (2.98)(4.0/21.9) = 0.544 in

$$\delta_{\text{C}}$$
  $\delta_{3}$  +  $\delta_{4}$  = -0.004 + 0.544 - 0.54 in

